## **Formula Translation**

One of the delights of love

is camaraderie.

It is similar to

(free and open) communication. The first non-negotiable demand

is a lessening of

or the reverse of

or minus one time

(free and open) communication.

The sum of all of the delights of love

is less than or equal to one of the delights of love.

One of the delights of love is physical closeness,

which is similar to

(free and open) communication.

Three fourths of all that occurs under the sun

is lost over time.

Therefore, three fourths of the first non-negotiable demand

is lost over time, for example.

A relationship over time

equals the sum of its delights of love

minus the sum of

its non-negotiable demands

plus Om plus E plus alpha.

Om is the result

of the sum of the first person's will

to go on

with the relationship

plus the second person's will

to go on

with the relationship

being divided

by the sum

of other chances for delights of love

as seen by the first person

plus

other chances for delights of love

as seen by the second person,

plus fear of the unknown,

plus inertia,

plus the sum of all times shared together.

Good times shared together

are not the same

as the opposite of bad times

shared together.

Good times shared together

are not the same as bad times

shared together.

The sum of all times shared together is the sum of good times shared together

plus the sum of all the bad times

shared together.

And alpha, what is alpha?

Magic? Us? God? MUG?

It's all a mug's game.

E of course

is mass times light's velocity.

Squared.

(Free and open) communication

is the good part

of the function of relationship

 $1 \times dL = Cr \sim (fr + o) Com$ 

 $1^e$  NND = - 1 × (fr + o) Com

 $\sum dL \le 1 \times dL$ 

 $1 \times dL = PC\ell \sim (fr + o) Com$ 

 $\frac{3}{4} \times AT\Omega = LOT$ 

 $\therefore$  3/4 × n<sup>e</sup> NND = LOT (e.g.)

 $R\ell SOT = (\sum dL - \sum NND + \Phi + e + \alpha)/T$ 

$$\begin{split} \Phi &= ((\textbf{W}_{p1} + \textbf{W}_{p2})/(\textbf{OC}_{p1} + \textbf{OC}_{p2})) \\ &+ \textbf{FoU} + \textbf{Inertia} + \sum \textbf{T}_{s} \bullet^{\text{\tiny (N)}} \end{split}$$

 $T_s \bullet = nBT_s \bullet = nBT_s$ 

 $T_S \bullet^{\otimes} \neq BT_S \bullet^{\otimes}$ 

 $\sum \mathsf{T_S} \bullet^{\sim} = \sum \mathsf{GT_S} \bullet^{\sim} + \sum \mathsf{BT_S} \bullet^{\sim}$ 

 $\alpha$  = ? Us

 $e = mc^2$ 

(fr + o) Com  $\in fx_n$